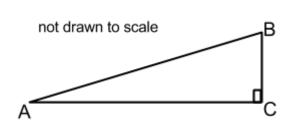
Apply the Pythagorean Theorem to determine unknown side lengths in right triangles in real world and mathematical problems in 2 and 3 dimensions, Practice Set A

Name:

Date:

1. In right triangle, *ABC*, side *AC* is longer than side *BC*. The boxed numbers represent the possible side lengths of triangle ABC. Identify three boxed numbers that could be the side



lengths of triangle *ABC*. Enter the number you chose to represent the length of each side. Explain how you know.

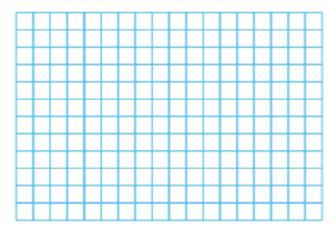
7, 8, 15, 17, 18, 20, 24, 25

a.
$$BC =$$

b.
$$AC =$$
_____ c. $AB =$ _____

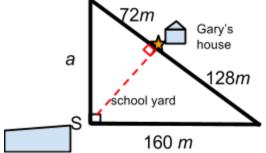
c.
$$AB=$$

2. On the grid below, draw a right triangle with whole number leg lengths and a hypotenuse of 10 units. Show algebraically that it is a right triangle.





3. Gary always cuts across the school yard rather than walk along the road to get to the skateboard park. How much distance does Gary save by taking the shortcut?

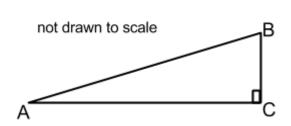




Apply the Pythagorean Theorem to determine unknown side lengths in right triangles in real world and mathematical problems in 2 and 3 dimensions, Practice Set A

Answer Key

1. In right triangle, ABC, side AC is longer than side BC. The boxed numbers represent the possible side lengths of triangle ABC. Identify three boxed numbers that could be the side



lengths of triangle ABC. Enter the number you chose to represent the length of each side. Explain how you know.

7, 8, 15, 17, 18, 20, 24, 25

a.
$$BC =$$
 b. $AC =$ c. $AB =$ 25

 $7^2 + 24^2 = 25^2$ $49 + 576 = 625$ $625 = 625$

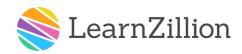
8 15 17

 $8^2 + 15^2 = 17^2$ $64 + 225 = 289$ $289 = 289$

15 20 25

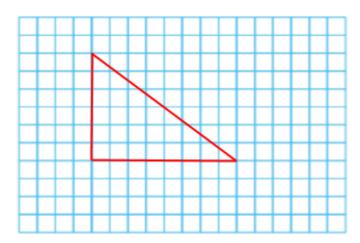
 $15^2 + 20^2 = 25^2$ $225 + 400 = 625$ $625 = 625$ also a multiple of $3 - 4 - 5$

Explanations will vary depending on the triple selected.



2. On the grid below, draw a right triangle with whole number leg lengths and a hypotenuse

of 10 *units*. Show algebraically that it is a right triangle.

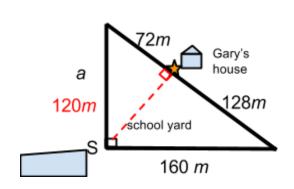


$$6^2 + 8^2 = 10^2$$

$$36 + 64 = 100$$

$$100 = 100$$

multiple of a 3-4-5 triangle



3. Gary always cuts across the school yard rather than walk along the road to get to the skateboard park. How much distance does Gary save by taking the shortcut?

$$72m + 128m = 200m$$

200m and 160m are multiples of 5 and 4, respectively. 5(40), 4(40), so 3(40) would be the missing side a.

The shortcut would be a leg of a right triangle with a hypotenuse of 120m and the other leg is 72m. 120 and 72 are also multiples of a 3-4-5 right triangle.

$$120 = 5(24)$$
 72

$$72 = 3(24)$$
 so the shortcut would be $4(24) = 96m$

The shortest distance Gary could travel on the street would be 72m + 120m = 192m.



192m - 96m = 96m

Gary would save 96m by cutting through the school yard.